

STATE OF CHARGE CONTROL FOR RENEWABLE ENERGY FED MICROGRIDS

ENGINEERING SCIENCES AA. 2013-2014

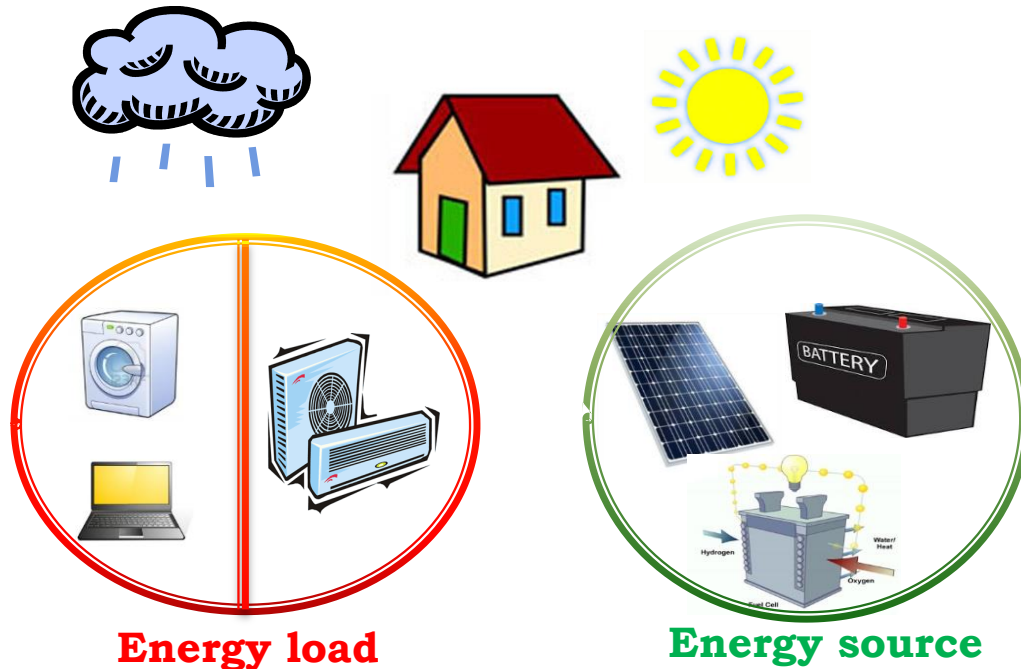
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Domestic micro-grid



OBJECTIVE:

- Exploit as much as possible renewable energy
- Reduce cost

CONSTRAIN

- Maintain Comfort

both depend on **unknown ambient condition.**



Predictive Control System (Model Predictive Control)

BASELINE MICROGRID CONTROL STRATEGY

RBC

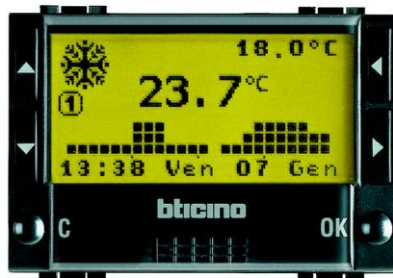
VS

ADVANCED MICROGRID CONTROL STRATEGY

MPC

RULED BASED CONTROL

- Current state
- Start/stop Fuel Cell & HVCA
- If condition



Expect:

- *HIGH variability operating conditions*
- *Not optimal fuel cell use*

MODEL PREDICTIVE CONTROL

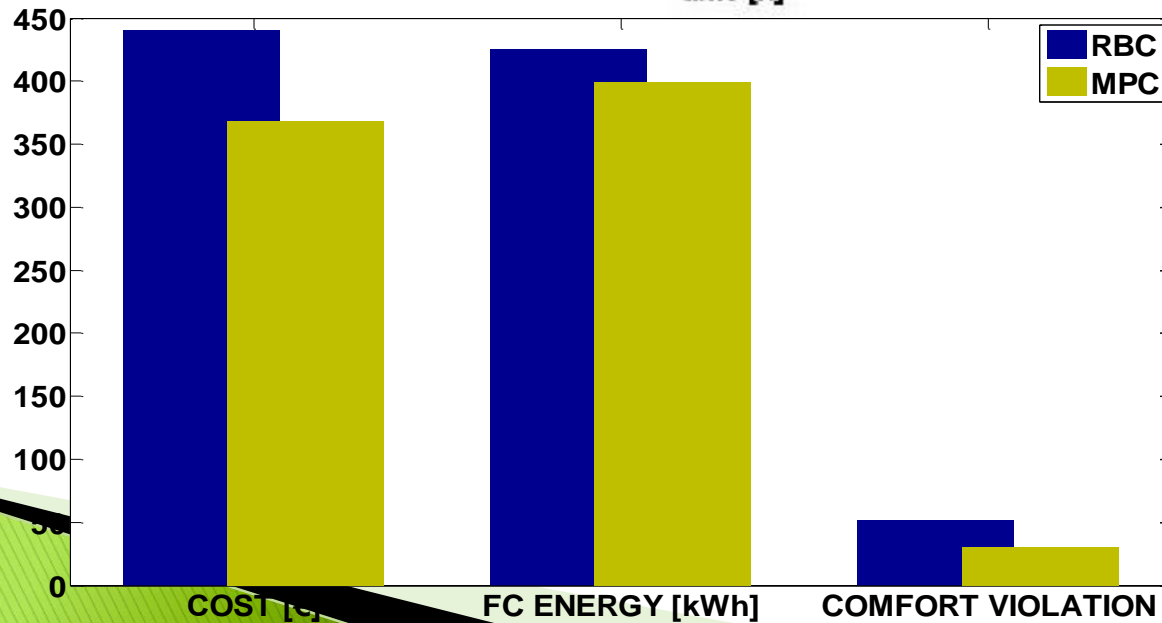
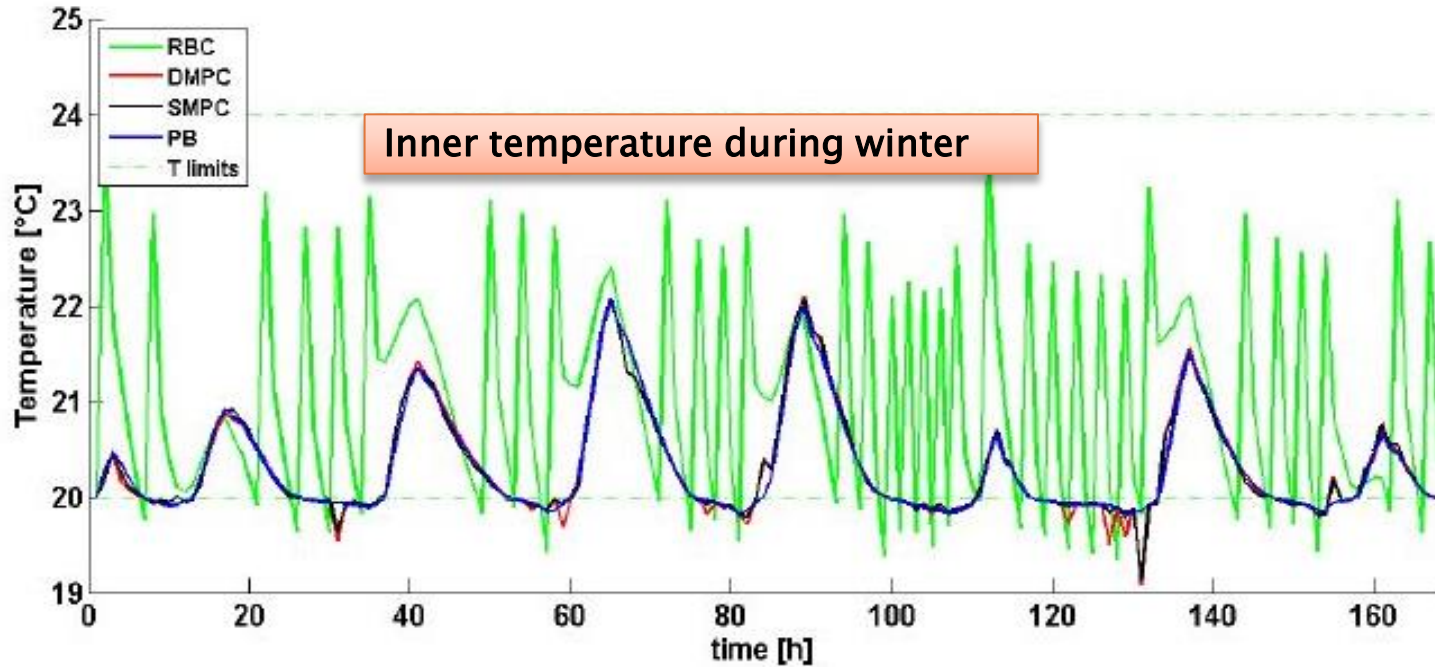
- Past, present, future state:
Use [weather forecast](#)
- Control Fuel Cell & HVCA at PARTIAL LOAD
- Need a system model & Optimization algorithm



Expect:

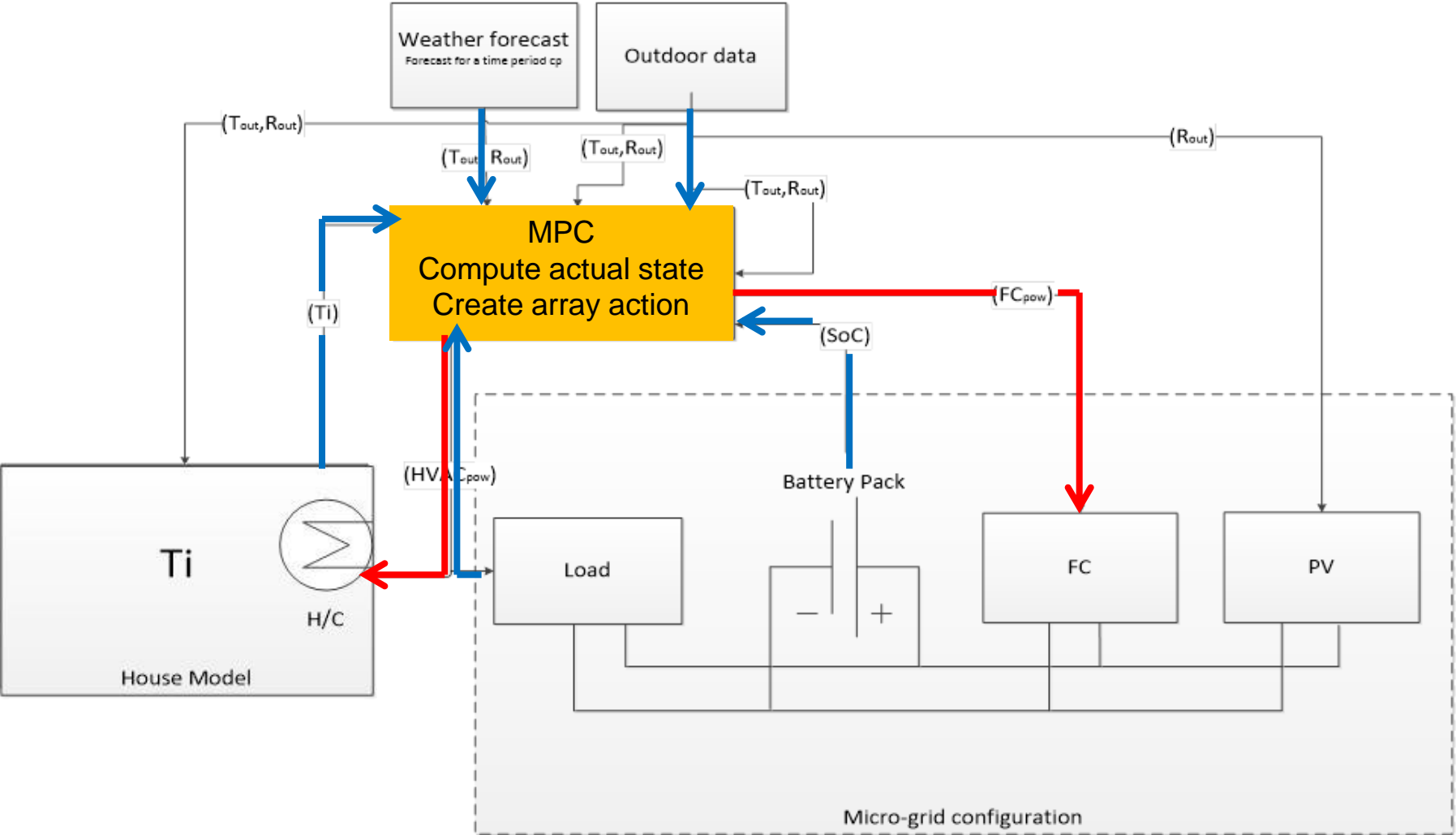
- *SOFT variability operating conditions*
- *High efficiency*

RBC & MPC SIMULATION RESULTS

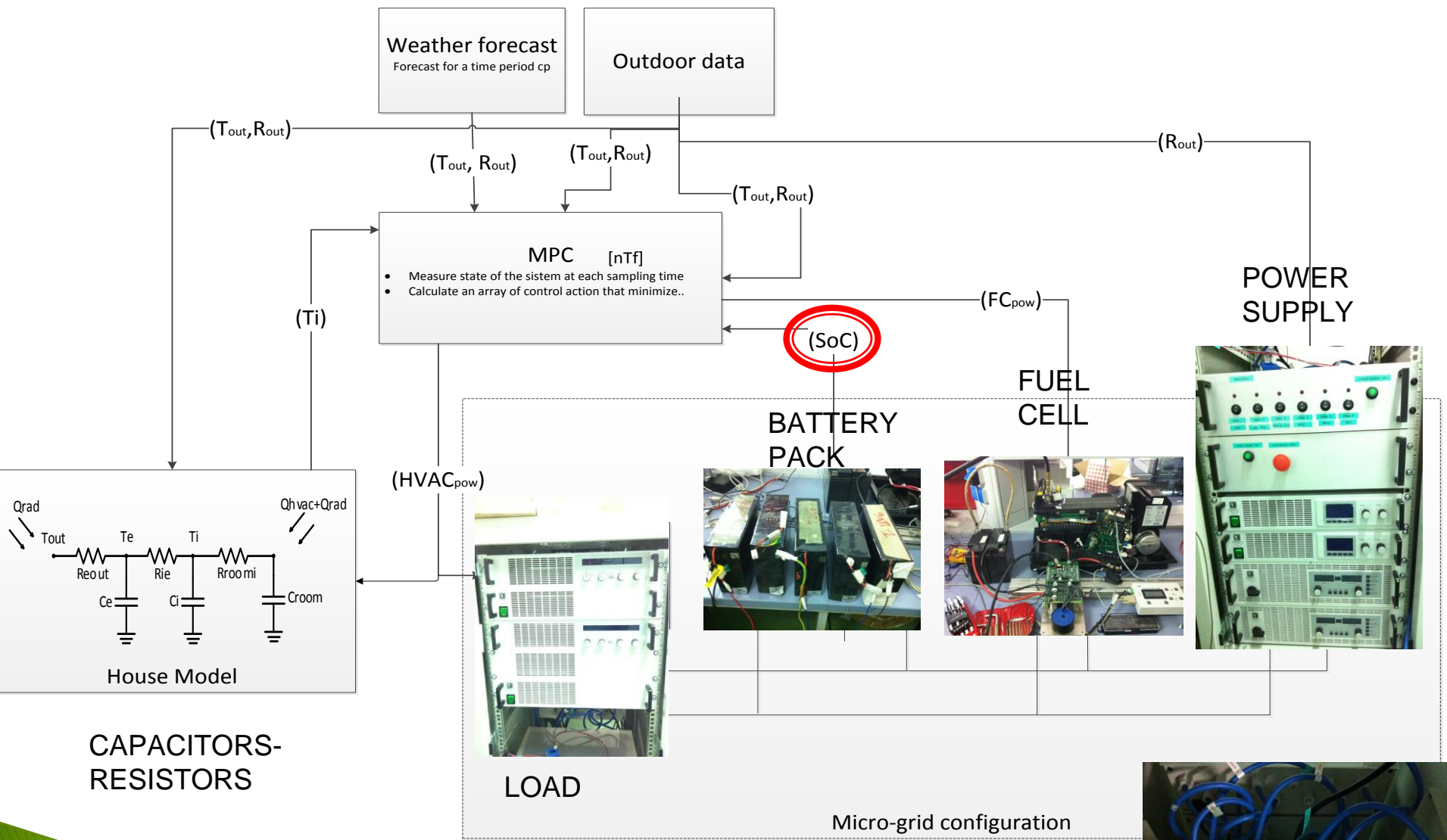


MPC Scheme

→ MPC CONTROL ACTION
→ MPC INPUT DATA



MPC EXPERIMENTAL SET UP



State of Charge

CHARGE still available for discharge

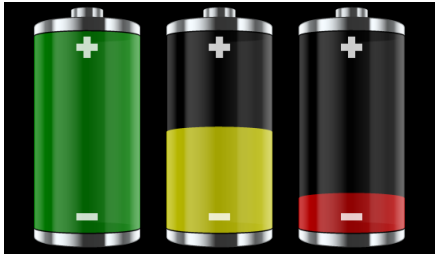
MAXIMUM CHARGE

DC BUS

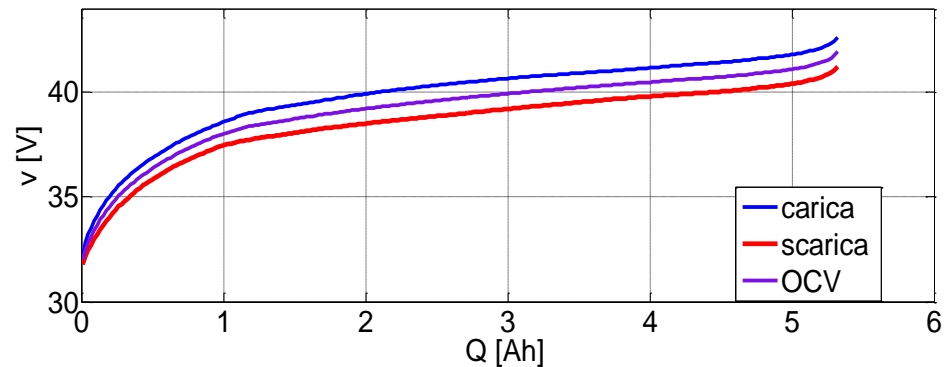


PERSONAL OBJECTIVE

Determine the **State of Charge (SoC)**



1. PROPORTIONAL to OCV.
2. OCV cannot be directly measured, if system is working.
3. Other measure: CURRENT – CCV (close circuit voltage)
4. Also them have measuring errors
...so, let's see how to proceed!

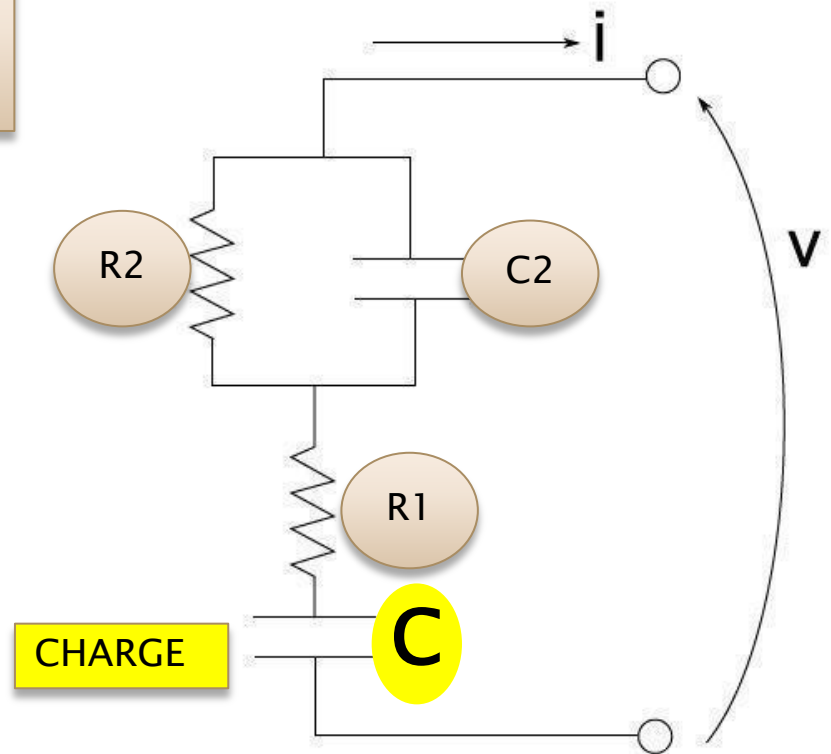


ELECTRIC CIRCUITAL MODEL

Simplified model:
CONSTANT
PARAMETERS

CIRCUIT EQUATIONS

$$\begin{cases} \dot{v}_C = -\frac{1}{C} i \\ \dot{v}_{C_2} = -\frac{1}{R_2 C_2} v_{C_2} - \frac{1}{C_2} i \\ v = f_{OCV}(v_C) + v_{C_2} - R_1 i \end{cases}$$



Need to calculate R1 R2 and C2

DYNAMICS DISCHARGE TEST:

- Current step
- Relaxation time
- Acquire data (Labview)
- Post process (Matlab)

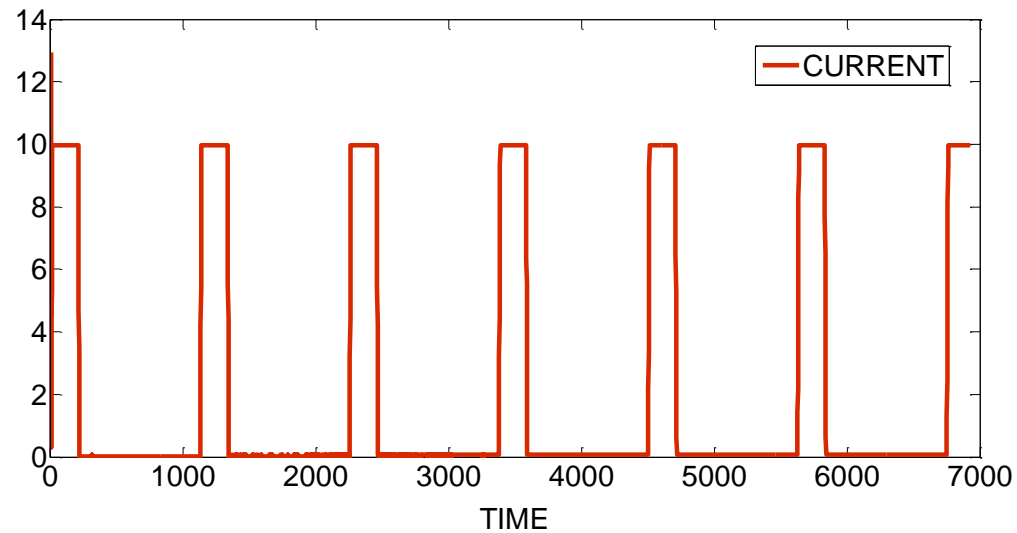
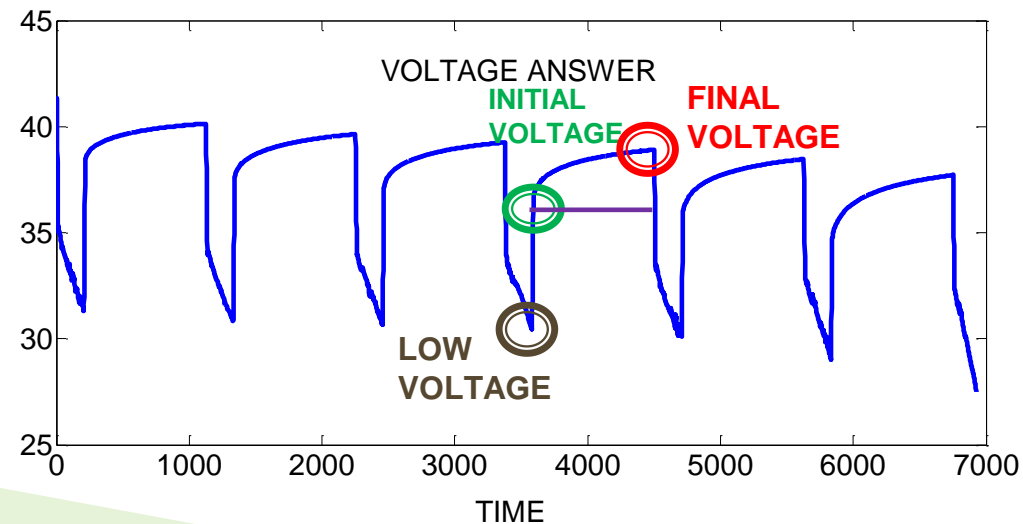
ALGEBRIC STEPS:

$$R1 = \frac{V_{INITIAL} - V_{LOW}}{CURRENT}$$

$$R_{int} = \frac{V_{FINAL} - V_{LOW}}{CURRENT}$$

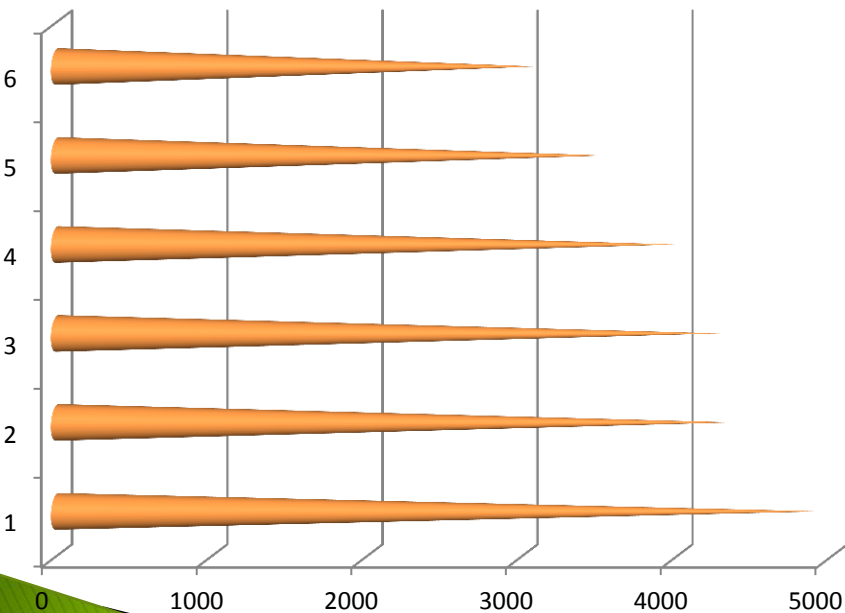
$$R2 = R_{int} - R1$$

$$C2 = \tau / R2$$

IMPULSE CURRENT REQUEST load**VOLTAGE ANSWER MEASURED**

Capacitances

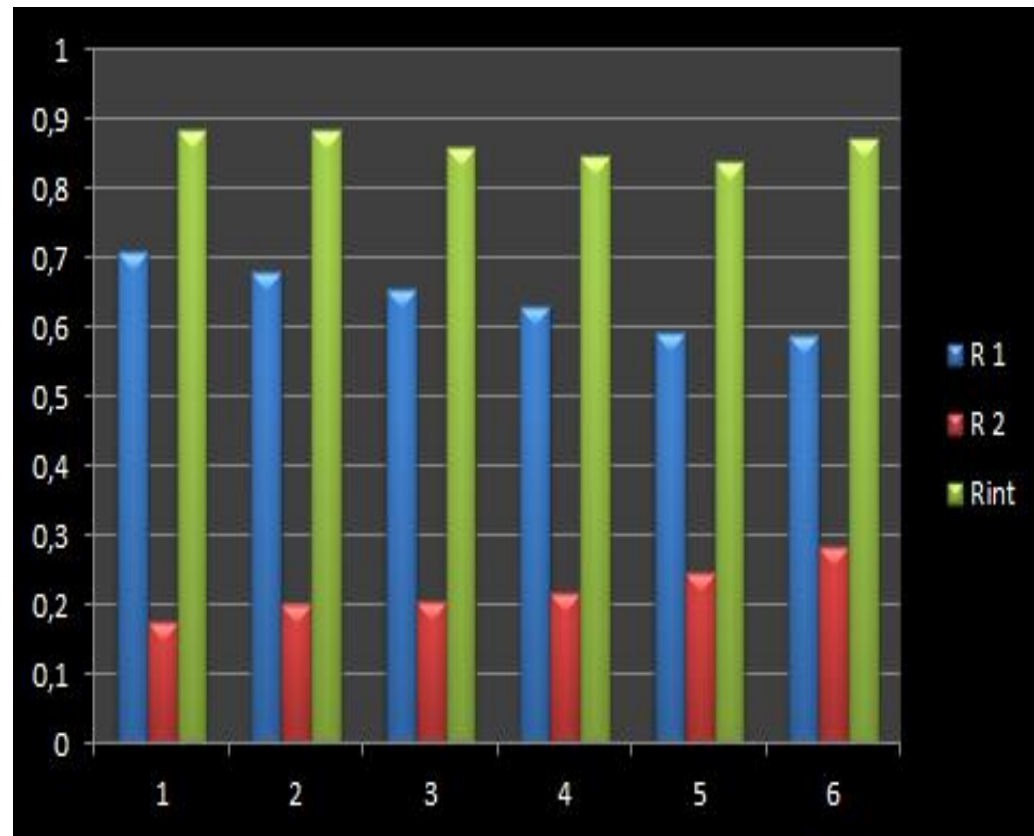
Average value C2:
4030 C

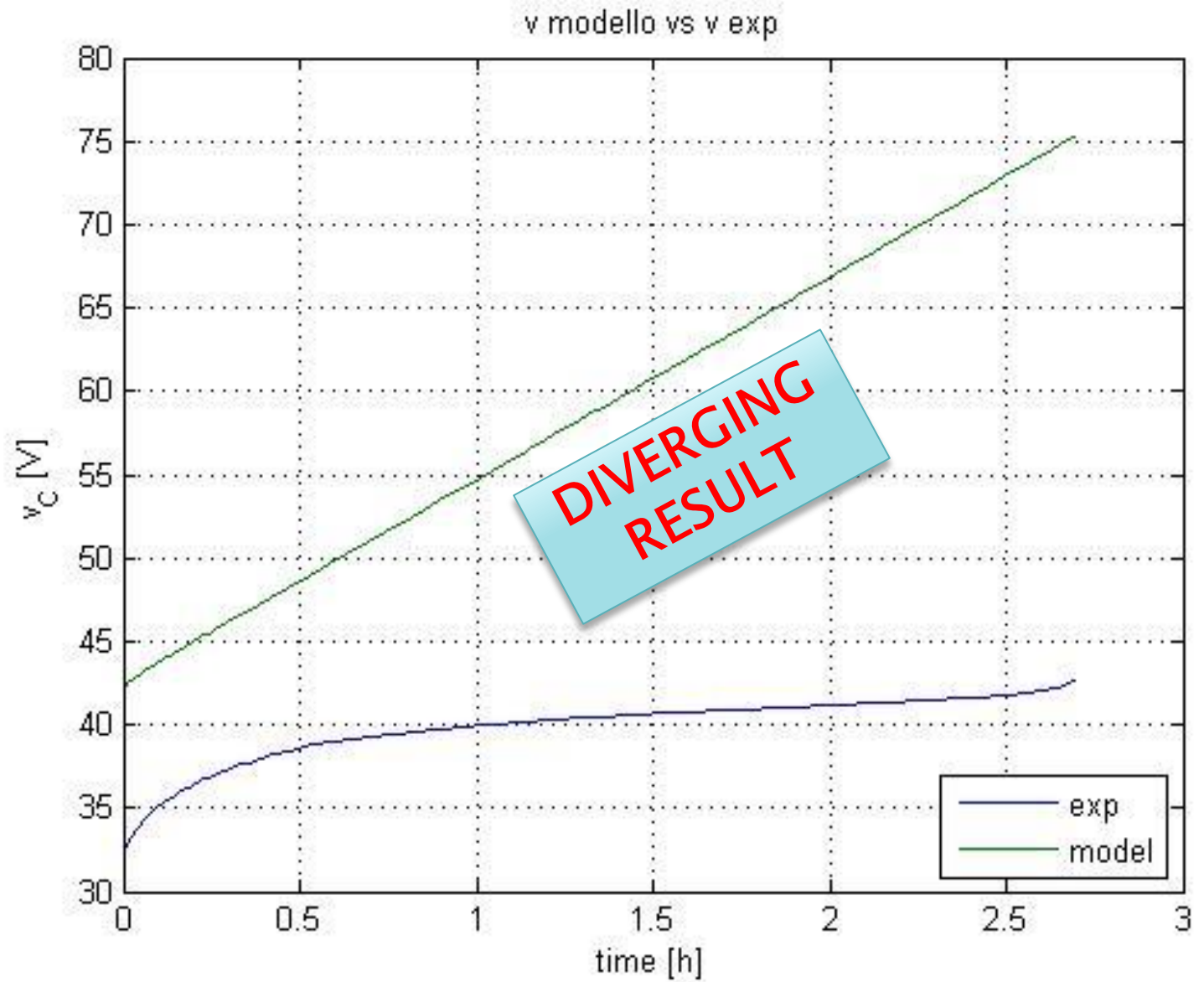


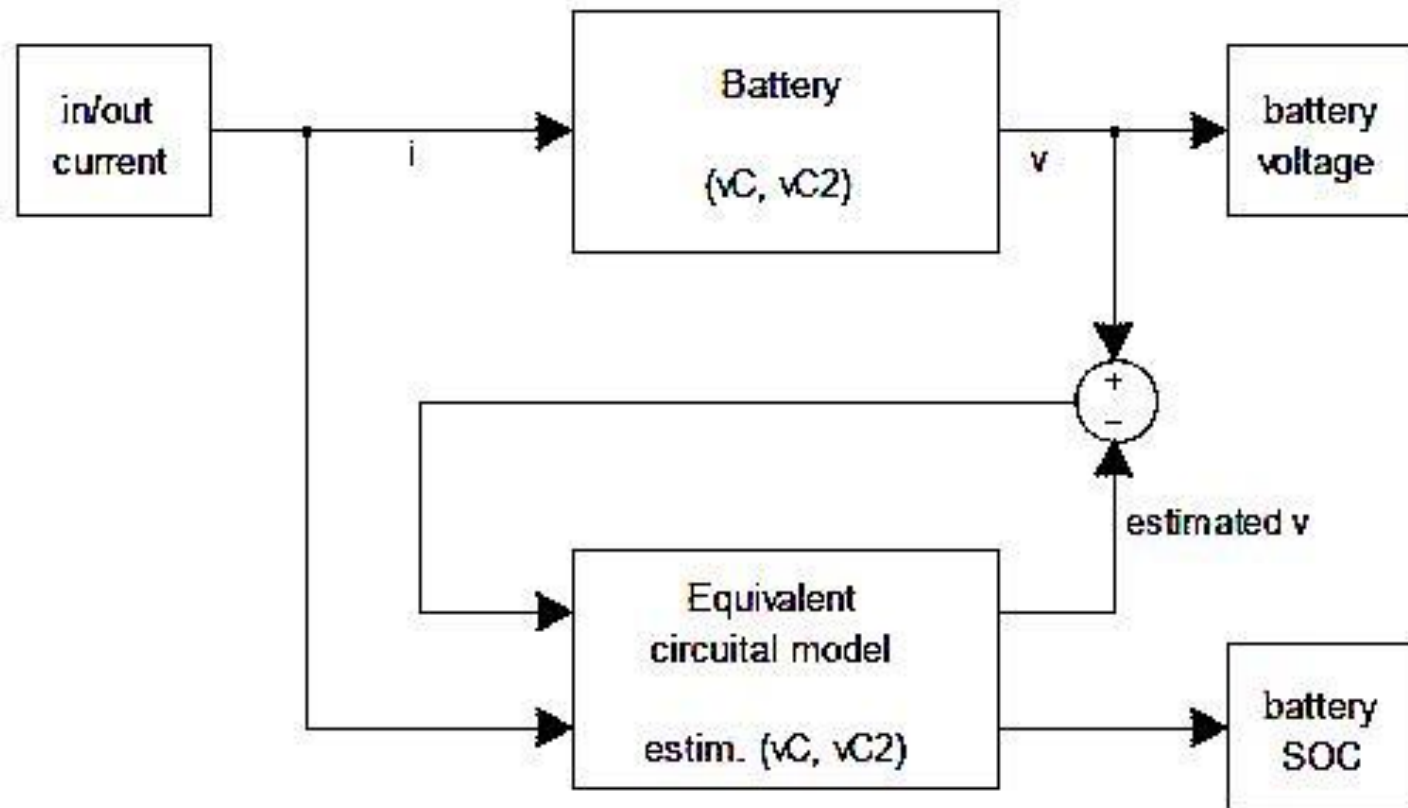
Resistances

Average values

R1	R2	Rint
0,642 Ω	0,221 Ω	0,863 Ω





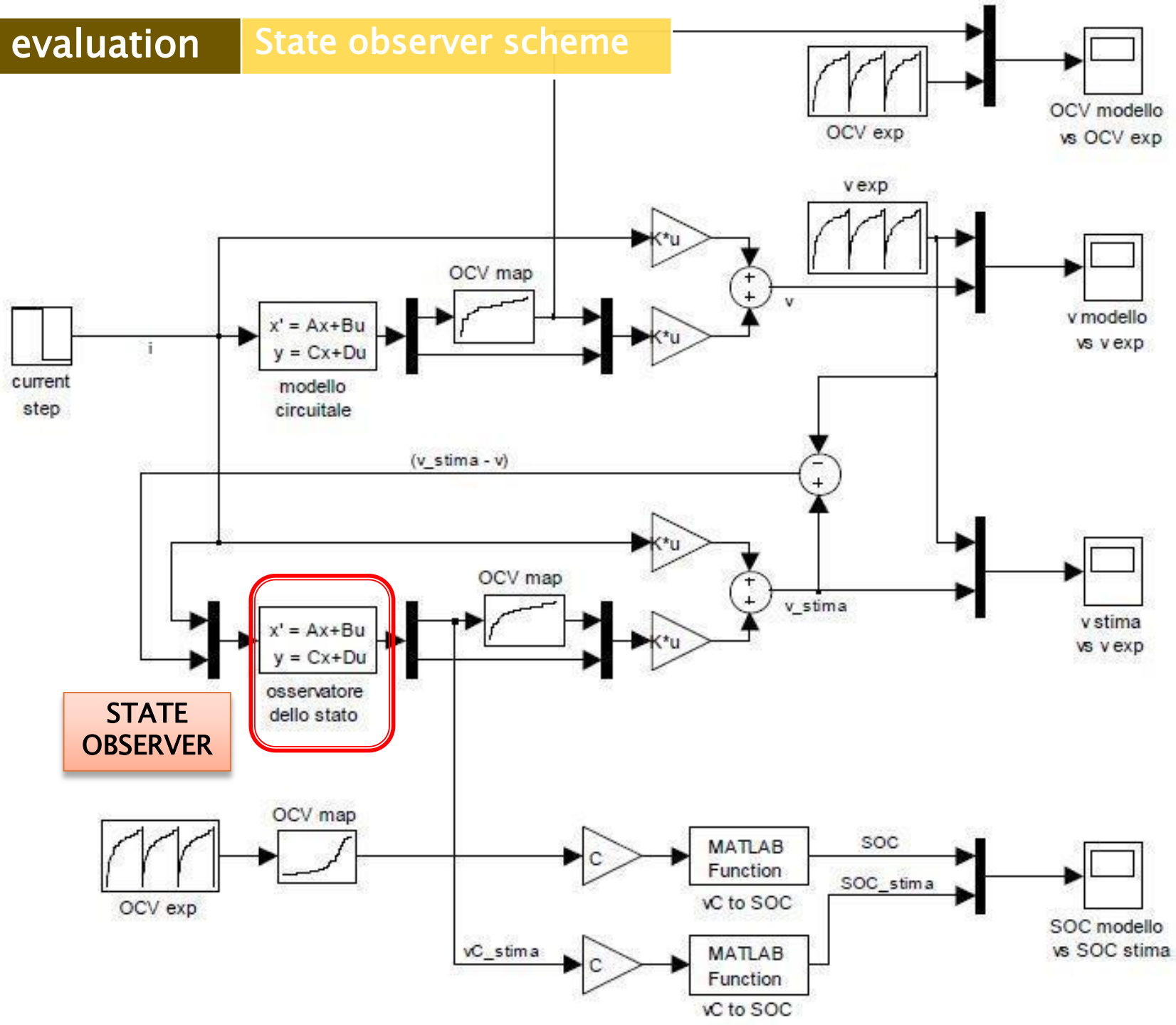
TO AVOID ERROR
PROPAGATIONCLOSED LOOP
CONTROL

$$\dot{\hat{v}}_C = -\frac{1}{C}i - k_1(v - \hat{v})$$

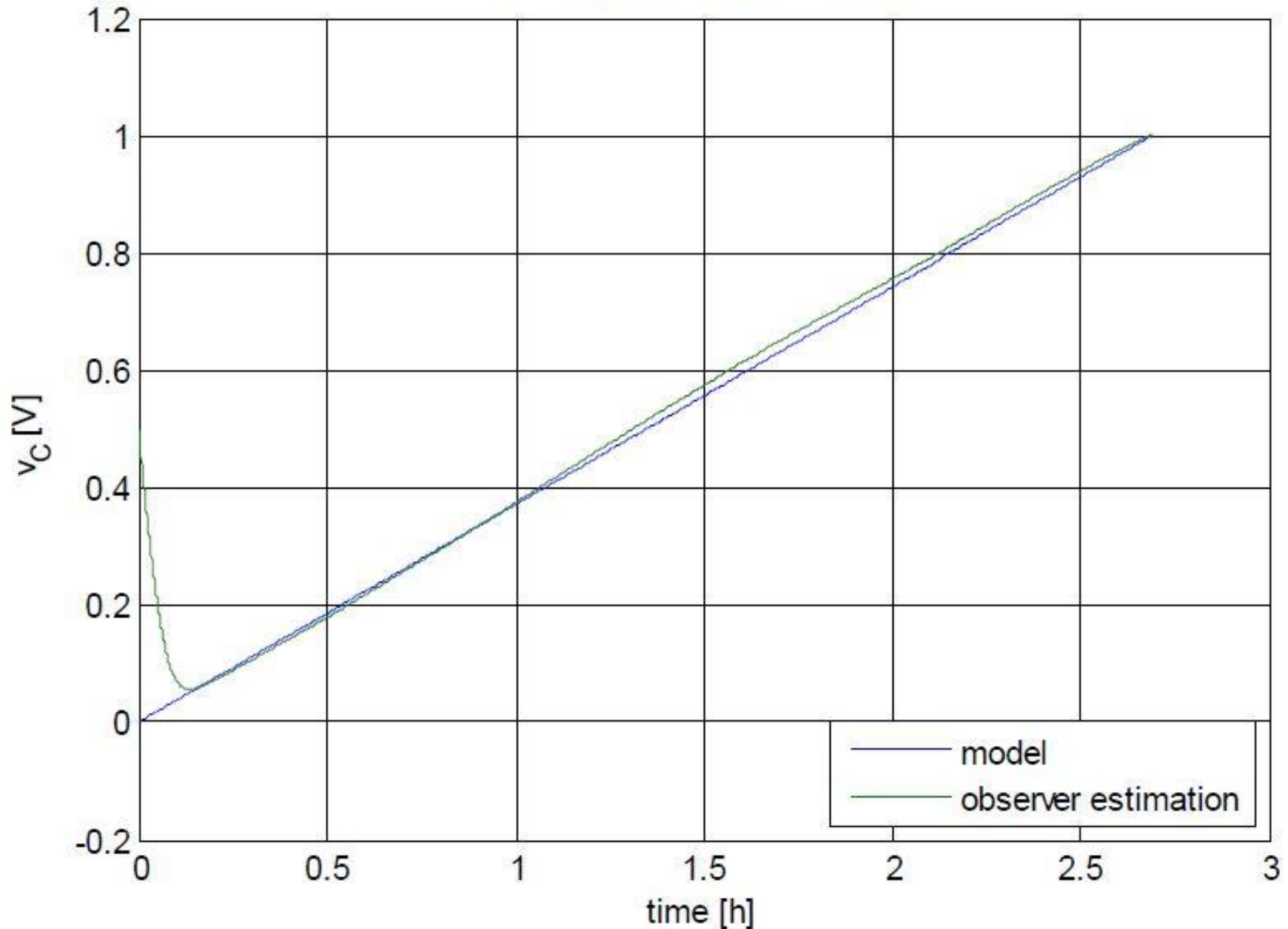
$$\dot{\hat{v}}_{C_2} = \frac{1}{R_2 C_2} \hat{v}_{C_2} - \frac{1}{C_2}i - k_2(v - \hat{v})$$

SoC evaluation

State observer scheme



SOC modello vs SOC stima



Conclusions

- ▶ MPC better than RBC
 - ▶ Key role: SoC measurement
 - ▶ A simple but accurate model, to measure SoC has been presented
 - ▶ Results are encouraging as SOC measurement capabilities have been demonstrated
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